Erratum

to the Note by Habib Ammari, Alexander G. Ramm

entitled: Recovery of small electromagnetic inhomogeneities from partial boundary measurements published in Série IIb, t. 330, n° 3, pp. 199–205.

Since the publication of:

(*) H. Ammari, A.G. Ramm, C. R. Mecanique 330 (3) (2002) 195-205

the authors have suggested that several points be clarified:

- The boundary data used in this paper correspond to acoustic scattering rather than to electromagnetic scattering;
- There are omissions in references:
 - (a) Formulas for the polarizability tensors and S-matrix for wave scattering by small bodies of arbitrary shapes were obtained in:
 [1] A.G. Ramm, Iterative Methods for Calculating Static Fields and Wave Scattering by Small
 - Bodies, Springer-Verlag, New York, 1982.(b) A method for finding small subsurface inhomogeneities from surface scattering data was proposed in:

[2] A.G. Ramm, Finding small inhomogeneities from surface scattering data, J. Inverse and Ill-Posed Problems 8 (2) (2000) 205–210.

(c) This method was tested numerically in:

[3] S. Gutman, A.G. Ramm, Application of the hybrid stochastic-deterministic minimization method to a surface data inverse scattering problem, in: A.G. Ramm, P.N. Shivakumar, A.V. Strauss (Eds.), Operator Theory and its Applications, Fields Inst. Commun., Vol. 25, Amer. Math. Soc., Providence, RI, 2000, pp. 293–304.

- (d) Inverse scattering problem for delta-type potentials has been investigated in:
 [4] F. Gesztesy, A.G. Ramm, An inverse problem for point inhomogeneities, Methods Funct. Anal. Topology 6 (2) (2000) 1–12.
- (e) The approach used in paper (*) has been used earlier in a variety of multidimensional inverse scattering problems in the monograph:

[5] A.G. Ramm, Multidimensional Inverse Scattering Problems, Longman/Wiley, New York, 1992, pp. 1–385. (Mir, Moscow, 1994, pp. 1–496, is Russian translation of the expanded monograph [5].)

- In [5] a general approach to solving various inverse problems is developed. It is based on property C (completeness of the set of products of solutions to homogeneous PDE), the notion introduced and studied in [5] and in the earlier papers by A.G. Ramm, cited in [5].
- An edited version of (*) is available at www.math.ksu.edu/~ramm, paper 434.